

**CCSU**  
**DEPARTMENT OF MATHEMATICAL SCIENCES**

# COLLOQUIUM

Friday, March 8  
2:00 – 3:00 PM  
Maria Sanford, Room 101

## **COUNTING MINIMAL SURFACES IN QUASI FUCHSIAN 3-MANIFOLDS**

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### **ABSTRACT**

A quasi-Fuchsian group  $\Gamma$  is a Kleinian group whose limit set is a Jordan curve (but not a round circle), the quotient space  $M := \mathbb{H}^3/\Gamma$  is called a quasi-Fuchsian 3-manifold. Topologically,  $M$  is homeomorphic to the product of a real line and a surface with negative Euler characteristic. In this talk, we always assume surfaces are closed with genus at least two.

Any quasi-Fuchsian 3-manifold  $M$  contains a convex core, which is the smallest convex submanifold of  $M$  such that the inclusion map is a homotopy equivalence. By a theorem of Schoen and Yau, this implies that any quasi-Fuchsian 3-manifold contains at least one least area incompressible minimal surface. On the other hand, Michael Anderson proved that any quasi-Fuchsian 3-manifold contains finitely many stable (i.e. locally least area) incompressible minimal surfaces.

In this talk, we fix a closed surface  $S$  whose genus is at least two, and let  $QF(S)$  be a space of quasi-Fuchsian 3-manifolds which are homotopic to  $S$ . We will discuss the following question: In what condition, for any positive integer  $N$ , there is a quasi-Fuchsian 3-manifold in  $QF(S)$  containing at least  $N$  stable incompressible minimal surfaces?

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